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angles are also equal. Example 2: Is a Parallelogram a Regular Polygon? A regular polygon is one where all sides and angles are equal. In a parallelogram, only opposite sides and angles are equal, not all of them. So, a parallelogram is not a regular polygon. Example 3: In Parallelogram ABCD, Angle A is 90 Degrees. Prove All Angles are Right Angles We already know that opposite angles of a parallelogram are equal. If $A=90$, then the opposite angle C must also be 90. Also, the sum of adjacent angles in a parallelogram is 180. So, if $A=90$, then the adjacent angle D must be $180-90=90$. Similarly, the opposite angle B will also be 90. Thus, all angles in parallelogram ABCD are right angles. Example 4: The Bisector of an Obtuse Angle in a Parallelogram Divides One Side in a 2:1 Ratio. Find the Sides of the Parallelogram if Its Perimeter is 60 cm Let the bisector of angle B intersect side AD at point M, and according to the problem, $AM:MD=2:1$. The bisector divides the angle into two equal parts, making triangle ABM isosceles. Therefore, $AB=AM$. Denote the smaller segment MD as x , then $AM = 2x$, and $AD=AM+MD=3x$. Using the formula for the perimeter of the parallelogram: $P=2(AB+AD)$, we substitute the known perimeter of 60 cm and solve for x : Thus, $AB=12$ cm and $AD=18$ cm. Diagonals, Perimeter, Area Where to Find More Explanations and Examples? Want more details and examples? Here are a few useful links to help expand your understanding of the main formulas and properties of parallelograms. In each of these topics, you'll find detailed explanations and visual examples that will make the learning process even more engaging. Diagonals of a Parallelogram Learn how to calculate the diagonals of a parallelogram and how to apply this knowledge in solving various problems. Perimeter of a Parallelogram Understand how to find the perimeter of a parallelogram, and learn why this is important for solving different geometry problems. Area of a Parallelogram Get to know the formulas to find the area of a parallelogram, and try applying them in real examples to reinforce your learning. Programming the Shape: Is It Really a Parallelogram? Combining geometry and programming opens up exciting opportunities for learning and practical experimentation. Imagine how fun it would be to write a simple application that determines whether a given quadrilateral is a parallelogram. Below is a flowchart that can help you design the logic of the program: simply check if each diagonal is bisected at the intersection point, and if so, the program will return a clear answer: Yes, it's a parallelogram or No, it's not a parallelogram. This approach will be a great exercise for applying both geometry knowledge and basic algorithmic structures, showing how theory can turn into a useful tool in real time.

A quadrilateral is always a parallelogram. true false. Why parallelogram is quadrilateral. Is a parallelogram always a square.